

100.0 g of ice at -10.0°C is placed in 1.00 kg of water at 90.0°C . What is the final temperature of the mixture?

Mar 18-9:33 AM

100.0 g of ice at -10.0°C is placed in 1.00 kg of water at 90.0°C . What is the final temperature of the mixture?

$$Q_L + Q_g = 0$$

$$mc\Delta t_w + mc\Delta t_i + mh_f + mc\Delta t_{wi} = 0$$

$$mc\Delta t_w + mc\Delta t_{wi} = -mc\Delta t_i - mh_f$$

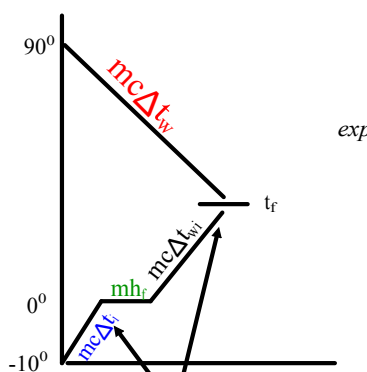
expand Δt

$$mct_{fw} - mct_{iw} + mct_{fwi} - mct_{iwi} = -mc\Delta t_i - mh_f$$

$$mct_{fw} + mct_{fwi} = -mc\Delta t_i - mh_f + mct_{iw} + mct_{iwi}$$

$$t_f(mc_w + mc_{wi}) = -mc\Delta t_i - mh_f + mct_{iw} + mct_{iwi}$$

$$t_f = \frac{-mc\Delta t_i - mh_f + mct_{iw} + mct_{iwi}}{(mc_w + mc_{wi})}$$



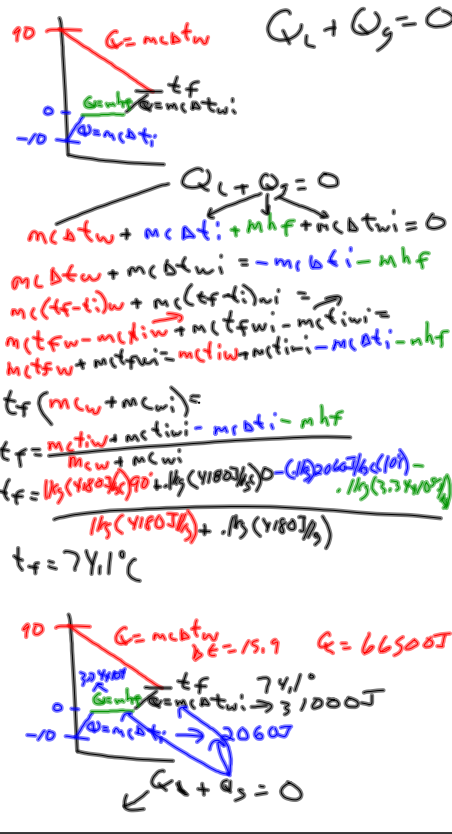
note how the t_f of the ice is different then the t_f of water that came from ice

$$t_f = \frac{-.10 \text{ kg}(2060 \text{ J/kgC})10^{\circ}\text{C} - .10 \text{ kg} (3.34 \times 10^5 \text{ J/kg}) + 1 \text{ kg}(4180 \text{ J/kgC})90.0^{\circ}\text{C} + .10 \text{ kg}(4180 \text{ J/kgC})0^{\circ}\text{C}}{((1 \text{ kg}(4180 \text{ J/kgC}) + .10 \text{ kg}(4180 \text{ J/kgC}))}$$

$$t_f = 74.1^{\circ}\text{C}$$

Mar 26-7:26 AM

100.0 g of ice at -10.0°C is placed in 1.00 kg of water at 90.0°C . What is the final temperature of the mixture?



Mar 26-6:39 AM

A 150.0 g block of ice at -20.0°C is placed in 880.0 g of water at 95.0°C . What is the final temperature of the mixture.

Mar 16-1:23 PM

A 150.0 g block of ice at -20.0°C is placed in 880.0 g of water at 95.0°C .
 What is the final temperature of the mixture.

$$Q_L + Q_g = 0$$

$$mc\Delta t_w + mc\Delta t_i + mh_f + mc\Delta t_{wi} = 0$$

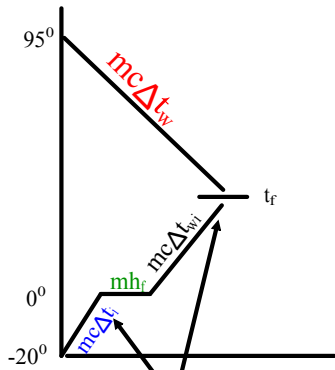
$$mc\Delta t_w + mc\Delta t_{wi} = -mc\Delta t_i - mh_f$$

$$mct_{fw} - mct_{iw} + mct_{fwi} - mct_{iwi} = -mc\Delta t_i - mh_f$$

$$mct_{fw} + mct_{fwi} = -mc\Delta t_i - mh_f + mct_{iw} + mct_{iwi}$$

$$t_f(mc_w + mc_{wi}) = -mc\Delta t_i - mh_f + mct_{iw} + mct_{iwi}$$

$$t_f = \frac{-mc\Delta t_i - mh_f + mct_{iw} + mct_{iwi}}{(mc_w + mc_{wi})}$$



$$t_f = \frac{-.15 \text{ kg}(2060 \text{ J/kgC})20^{\circ}\text{C} - .15 \text{ kg} (3.34 \times 10^5 \text{ J/kg}) + .88 \text{ kg}(4180 \text{ J/kgC})95^{\circ}\text{C} + .15 \text{ kg}(4180 \text{ J/kgC})0^{\circ}\text{C}}{(.88 \text{ kg}(4180 \text{ J/kgC}) + .15 \text{ kg}(4180 \text{ J/kgC}))}$$

$$t_f = 68.1^{\circ}\text{C}$$

Mar 26-7:23 AM

TE needed to change ^{1 kg} water
 from $0^{\circ}\text{C} \rightarrow 100^{\circ}\text{C}$

$$Q = mc\Delta t$$

$$Q = mc(t_f - t_i)$$

$$Q = 1 \text{ kg} (4180 \text{ J/kg}^{\circ}\text{C}) (100^{\circ}\text{C} - 0^{\circ}\text{C})$$

$$Q = 1 \text{ kg} (4180 \text{ J/kg}^{\circ}\text{C}) 100^{\circ}\text{C}$$

$$Q = 418,000 \text{ J}$$

Mar 17-11:28 AM

$P = \frac{Q}{t}$

$t = \frac{Q}{P} = \frac{m c \Delta t_c}{P}$


$t_i = 19^\circ\text{C}$

$t = \frac{.175 \text{ kg} (3870 \text{ J/kg}^\circ\text{C}) \Delta t_c}{25 \text{ W}}$

$t = 5692$

$\rightarrow 9.48 \text{ min}$

$t_f = 40^\circ\text{C}$
 $P = 25 \text{ W}$
 $t = ?$
 $c_c = 3870 \text{ J/kg}^\circ\text{C}$
 $m = 175 \text{ ml}$
 $\rightarrow 175 \text{ g}$
 $1 \text{ g} = 1 \text{ cm}^3 = 1 \text{ ml}$



Mar 10-12:05 PM

$Q_L + Q_S = 0$

$m c \Delta t_m + m c \Delta t_w + m c \Delta t_c = 0$

$m (t_f - t_i)_m + m (t_f - t_i)_w + m (t_f - t_i)_c$

100

19


19

100°C

19°C

Q_L

t_f



Mar 10-12:12 PM